

Medium

Deputy Executive Engineer (Electric)

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Ports Authority of Gujarat / Assistant Engineer (El

Consider the following statements regarding Stability in State-Space Analysis:

1. Eigenvalues of the system matrix A define the characteristic roots that

A

1, 2 and 3 only

B

1 and 3 only

C

2, 3 and 4 only

D**All of the above****Correct**

Correct Answer: D

Full Detailed Explanation

Correct Answer: D - All of the above
Quick Concept Explanation A state-space model represents internal dynamics using a minimal set of state variables. Stability of a continuous-time LTI

model is tied to eigenvalues of A : strictly negative real parts imply asymptotic stability. Key relation: $\dot{x} = Ax + Bu$; $y = Cx + Du$. Exam focus: Eigenvalues of A are the state-model characteristic roots. Common trap: Output is not generally independent of state variables. Statement-wise Verification Statement 1 - Correct. Eigenvalues of the system matrix A define the characteristic roots that determine the system's stability. Eigenvalues of A are the state-model characteristic roots. Statement 2 - Correct. A system is asymptotically stable if and only if, all eigenvalues of the system matrix A have strictly negative real parts (located in the Left-Half Plane). Stability of a continuous-time LTI model is tied to eigenvalues of A : strictly negative real parts imply asymptotic stability. Statement 3 - Correct. The presence of at least one eigenvalue with a positive real part (located in the Right-Half Plane) implies that the system is unstable. Stability of a continuous-time LTI model is tied to eigenvalues of A : strictly negative real parts imply asymptotic stability. Statement 4 - Correct. Stability is a property of the system itself and is determined by the internal system parameters and the A